

## Work Calculations

### Lesson Notes

#### Learning Outcomes

- What is the equation for work?
- How do you use the equation to calculate the work done on an object?

#### The Work Equation:

The work done (**W**) depends on three variables:

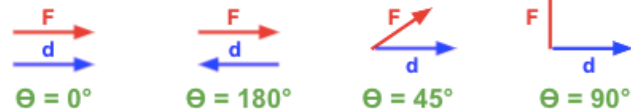
1. The amount of force (**F**).
2. The amount of displacement (**d**).
3. The angle between the force and displacement (**Θ**).

Work = Force • Displacement • Cosine ( $\Theta$ )

$$W = F \cdot d \cdot \cos(\Theta)$$

In the Work equation, the angle *theta* ( $\Theta$ ) is the angle between the force and the displacement vectors.

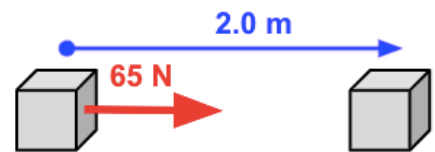
Meaning of  $\Theta$ :



For the following example problems, show the solution for the calculation of the work.

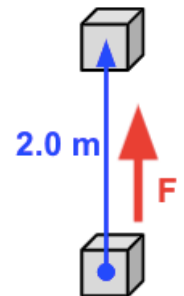
#### Example 1 - Plug-and-Chug:

Determine the work done when a rightward force of 65 N displaces a 15-kg box 2.0 m to the right.



#### Example 2 - Lifting:

How much work does an upward force do when lifting a 15-kg box a distance of 2.0 m above its starting location at constant speed?



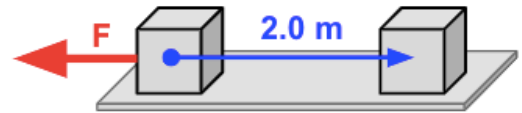
**Example 3 -  $\theta$  is Important:**

A 65-N force is exerted at  $30^\circ$  above the horizontal to displace a 15-kg box a horizontal distance of 2.0 m. Determine the work done.



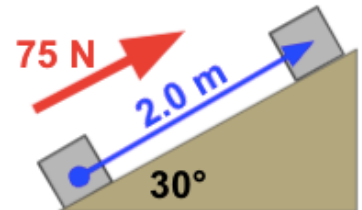
**Example 4 - Sliding Friction:**

How much work is done by friction ( $\mu=0.40$ ) when stopping a 15-kg box over a distance of 2.0 m?



**Example 5 - Up a Hill:**

How much work is done by a 75-N force applied parallel to a  $30^\circ$  inclined plane to move a 15-kg box along the incline a distance of 2.0 m?



**Example 6 - Total Work:**

A 10-N force is applied to push a  $\sim 2$ -kg block across a friction free surface for a displacement of 5 m to the right. Determine the total amount of work.

